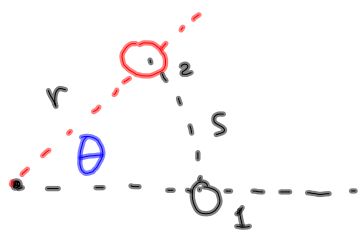


Angular position, velocity, and acceleration:



$$s = r\theta$$

* have to use radians for θ

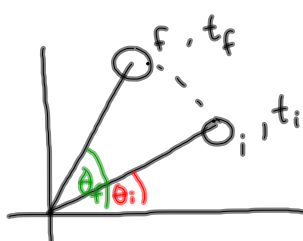
$$\theta(\text{rad}) = \frac{\pi}{180^\circ} \theta(\text{deg})$$

[remember the unit circle]

[units: rad]

$$\Delta\theta = \theta_f - \theta_i$$

* compare to Δx



$$\omega = \frac{\Delta\theta}{\Delta t}$$

* compare to v_{avg}

[units: $\frac{\text{rad}}{\text{s}}$]

↳ lowercase omega

$$\alpha_{\text{avg}} = \frac{\Delta\omega}{\Delta t}$$

* compare to a

[units: $\frac{\text{rad}}{\text{s}^2}$]

↳ lowercase alpha

SIGN CONVENTION:

- clockwise = negative
- counterclockwise = positive

Equations for Rotational Motion:

$$\omega_f = \omega_i + \alpha t$$

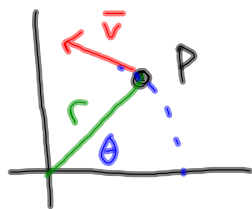
$$\omega_f^2 = \omega_i^2 + 2\alpha\Delta\theta$$

$$\Delta\theta = \omega_i t + \frac{1}{2}\alpha t^2$$

Relationship between v and ω :

$$v = r\omega$$

\rightarrow translational velocity
 \rightarrow radius
 \rightarrow rotational velocity
(always tangent)



Relationship between a and α :

$$a = r\alpha$$

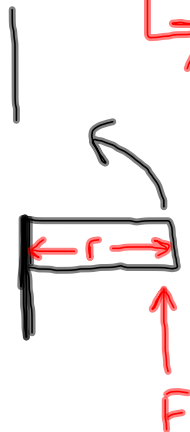
\rightarrow tangential acceleration
 \rightarrow radius
 \rightarrow angular acceleration

$$a_c = \frac{v^2}{r} = r\omega^2$$

Torque:

$$\vec{\tau} = \vec{r} \times \vec{F} \quad (\text{cross product})$$

\vec{F} → force
 \vec{r} → distance from axis of rotation
 τ → lowercase tau



$$\tau = r F \sin \theta$$

θ is angle bet. \vec{r} and \vec{F}

Static Equilibrium:

$$- \sum \vec{F} = 0$$

$$- \sum \vec{\tau} = 0$$

$$\sum \vec{\tau} = \vec{\tau}_1 + \vec{\tau}_2 + \dots$$